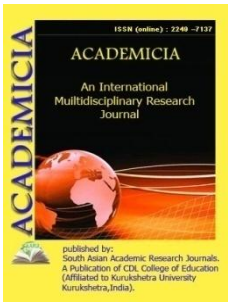
ACADEMICIA

ISSN: 2249-7137 Vol. 11, Issue 3, March 2021 Impact Factor: SJIF 2021 = 7.492

ACADEMICIA
An International Multidisciplinary Research Journal
(Double Blind Refereed & Peer Reviewed Journal)



DOI: 10.5958/2249-7137.2021.00859.4

A GRAPH IN THE FORM OF A TRIANGLE WITH ATTACHED OUTGOING EDGES AT EACH VERTEX

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ABSTRACT

We study one incoming, two outgoing and triangle graphs for the equation of linear KdV. Using the theory of potentials, we reduce the problem to systems of linear integral equations and show that they are uniquely solvable under conditions of the uniqueness theorem.

KEYWORDS: *Third Order PDE, Boundary Value Problem, Method Of Energy Integrals, Method Of Potentials, Initial Condition, Boundary Condition, Integral Equation.*

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